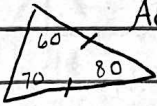
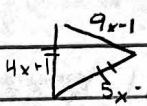


Sec. 4.1: Classifying Triangles

- Acute Δ : Δ w/ 3 acute $\angle$'s
- Obtuse Δ : Δ w/ 1 obtuse $\angle$
- RT Δ : Δ w/ 1 RT $\angle$
- Equilateral Δ : All sides congruent
- Equiangular: All $\angle$'s congruent
- Isosceles: At least 2 $\cong$ sides
- Scalene: No congruent sides

Ex)  Acute Triangle
Acute isosceles Δ

Ex)  Find all missing sides

Section 4.2 ~ Angles of Δ

- Δ Sum Theorem: The $\angle$'s in a Δ add up to 180°
- Exterior $\angle$ of a Δ :



Th: An exterior $\angle$ of a Δ = the sum of the remote interior

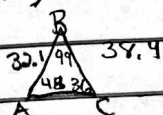
$$\triangle \Rightarrow \angle 1 = \angle 2 + \angle 3$$

Polygon:
Closed Figure

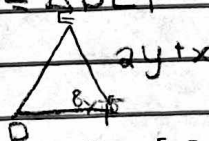
Sec 4.3 ~ $\cong$ Polygons:

- Congruent Figures: Same size & same shape
- Congruent Polygon: If 2 polygons are congruent, then all their corresponding parts are $\cong$.

Ex) If $\Delta ABC \cong \Delta XYZ$ Ex) $\Delta ABC \cong \Delta DEF$



Find $x + y$



$$\begin{aligned} 8y - 5 &= 36 \\ +5 &+5 \\ \hline 8y &= 41 \\ \frac{8y}{8} &= \frac{41}{8} \\ y &= \frac{41}{8} \end{aligned}$$

$$2y + x = 38.4$$

$$2\left(\frac{41}{8}\right) + x = 38.4$$

Formal Sec 4.2

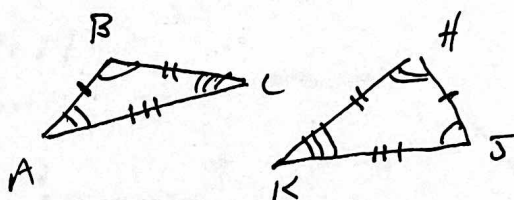
Th¹: If 2 ~~triangles~~ ^{all 6 corresponding parts} are $\cong$, then 2 Δ 's are $\cong$

Congruent: same shape / same size

Th²: If polygons are $\cong$, then all corresponding parts are $\cong$

CPCTC

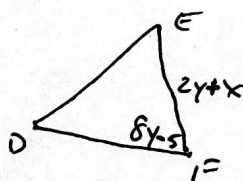
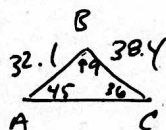
Congruent polygons: all corresponding parts are $\cong$ ($\angle$'s & sides)



$$\triangle ABC \cong \triangle HJK$$

If $\triangle XYZ \cong \triangle MNP$ - which sides are $\cong$.

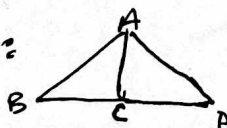
Ex] $\triangle ABC \cong \triangle DEF$



Find x & y .

Th³: If 2 $\angle$'s of 1 Δ are $\cong$ to 2 $\angle$'s of another then the 3rd $\angle$'s are $\cong$.

* Reflexive in Δ 's:



pg 295
~~13-16~~
 18-20
 28-30
~~48-52~~

Formal Notes

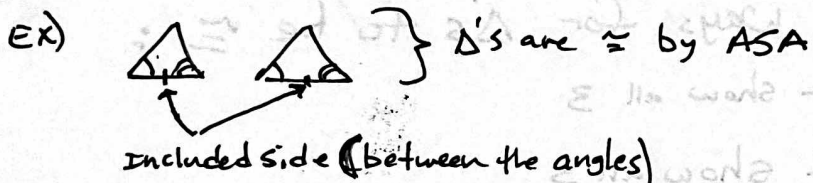
c.

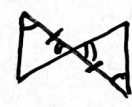
Hypotenuse Leg 4.5

Theorem - Put on your Th^m Page:

- If ASA (angle-side-angle), then Δ 's are $\cong$

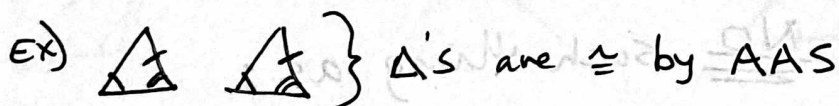
2 angles $\cong$ and
Included Side $\cong$



- ex)  - In this problem we are given the tick marks. We also have vertical angles so we can get ASA

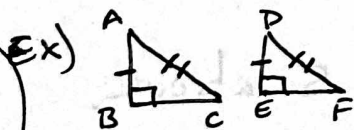
- If AAS (angle-angle-side), then Δ 's are $\cong$

2 angles $\cong$ and one side in consecutive order.



Δ 's are $\cong$ by HL (Hypotenuse Leg)

This means you have to have RT Δ 's (so we have hypotenuse's) and one set of legs $\cong$, and the Hypotenuse $\cong$. (3 things - always 3 things)



→ This is NOT SSS or SAS or ASA or AAS
But this is HL because:

1) ΔABC is a RT Δ and ΔDEF is a RT Δ

2) Hypotenuse $\overline{AC} \cong$ Hypotenuse $\overline{DF}$

3) Leg $\overline{AB} \cong$ Leg $\overline{DE}$

Therefore $\Delta ABC \cong \Delta DEF$ by HL

OVER

Pg 322
5-9, 14

Summary:

- 1) YouTube search Triangle congruence by Hypotenuse Leg and watch video
- 2) IN Proof, to Prove $\Delta's \cong$, you must Show/Have 3 Pieces in any of the methods.
- 3) There are 5 ways for $\Delta's$ to be $\cong$:
 - a) SSS - show all 3
 - b) SAS - show all 3
 - c) ASA - show all 3
 - d) AAS - show all 3
 - e) HL - show all 3
 - 1) RT $\Delta's$
 - 2) Hypotenuse $\cong$
 - 3) Leg $\cong$
- 4) There is NO such thing as:

- A-A-A

OR

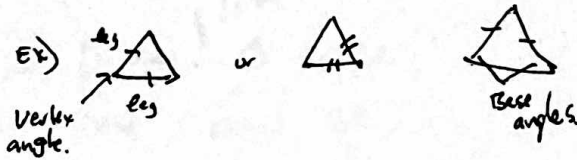
- A-S-S

IN Δ congruence. Only the 5 above.

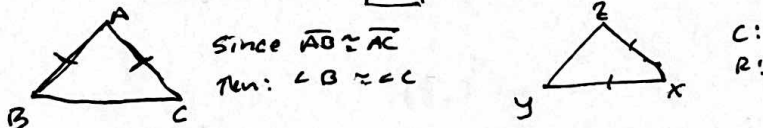
- Quiz Next Class - 10/25

Formal sec 4.6

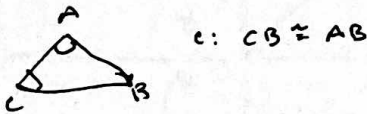
Isosceles Δ : Δ with at least 2 $\cong$ sides



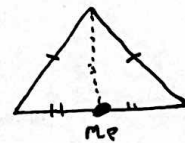
Th^m: If 2 sides of Δ are $\cong$, then $\angle$'s opposite are $\cong$.



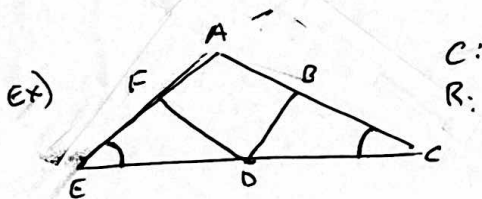
Th^m: If 2 $\angle$'s in Δ are $\cong$, then the sides opposite are $\cong$



Why are these Th^m True:

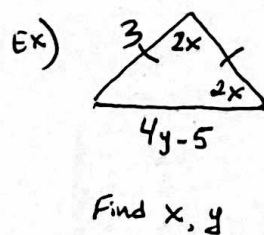
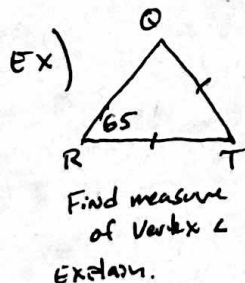
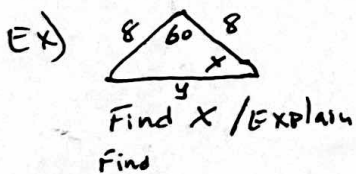


Find MP
Draw line.
 Δ 's $\cong$ by SSS
CPCTC



Equilateral Δ : Δ with 3 $\cong$ sides.
-what do you know about $\angle$'s??

Equilateral = Equiangular.



*Students work in groups

Pg 329

9-22, 29-32

38-43

Quadratic